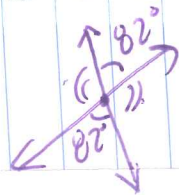


L13-2 "Vertical \angle s" \rightarrow Equal



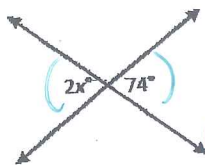
Name: _____ per: _____

② $126 = x + 77$

Writing Equations for Vertical Angles

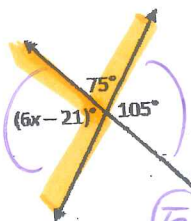
Find the values of x and y .

1. $x = \underline{37}$



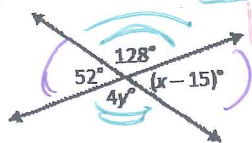
① $2x = 74$
 $\frac{2x}{2} = \frac{74}{2}$
 $x = 37$

3. $x = \underline{21}$



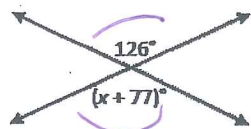
③ $6x - 21 = 105$
 $\downarrow +21 \quad | \quad +21$
 $\frac{6x}{6} = \frac{126}{6}$
 $x = 21$

5. $x = \underline{67}$
 $y = \underline{32}$



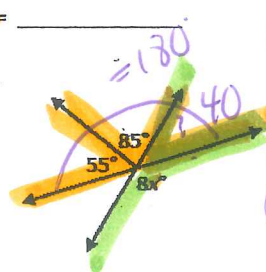
x	y
$52 = x - 15$ $+15 \quad \quad \downarrow +15$ $67 = x$	$128 = 4y$ $\frac{128}{4} = \frac{4y}{4}$ $32 = y$

2. $x =$ _____



④ $8x + 40 = 180$

4. $x =$ _____

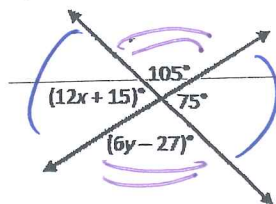


⑥

6. $x =$ _____

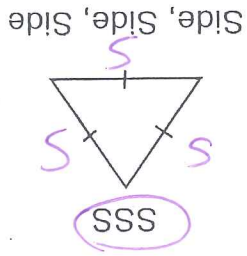
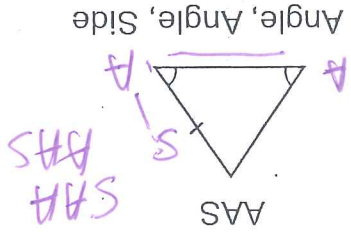
$y =$ _____

$12x + 15 = 75$ $6y - 27 = 10$



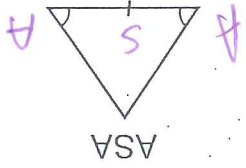
L 14-2 "UNIQUE TRIANGLES" PG. 151

UNIQUE TRIANGLES - Only one triangle can be formed with the given dimensions.



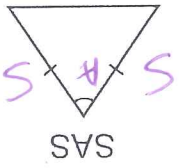
The side is in the middle of the two angles therefore, it's included

With included Side
Angle, Side, Angle



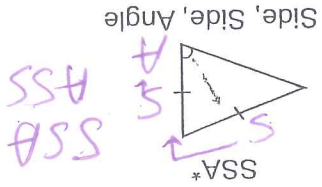
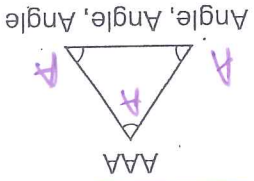
The angle is in the middle of the two sides therefore, it's included

With included Angle
Side, Angle, Side



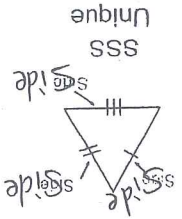
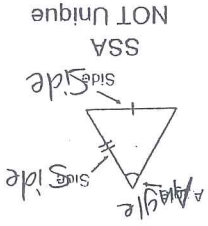
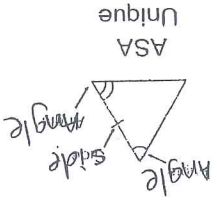
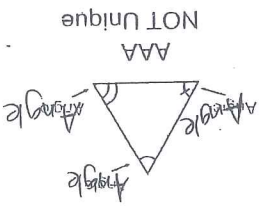
UNIQUE	AAA	SSA ↔ ASS	ASA	SAS
NOT UNIQUE	AAA	SSA ↔ ASS	SSS	SSA
			SSA	SSS
			ASA	SSA
			SSA	SSS
			ASA	SSA
			SSA	SSS

NOT UNIQUE - Many triangles can be formed with the given dimensions.



When side measurements are given the side opposite the angle must be the longest side otherwise the triangle is NOT UNIQUE.

GUIDED EXAMPLES:
Classify each triangle as SAS, SSS, ASA, AAS, SSA, OR AAA.
Then specify if the triangle is UNIQUE or NOT UNIQUE.
Note: The triangles are examples and are not drawn to scale.



L15-1 Similar Figures P. 159

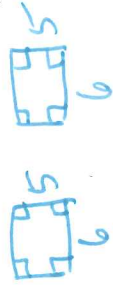
LT: Identify if polygons are similar.

Find a common ratio for corresponding lengths

Vocab: Congruent figures \cong

↳ exactly the same

↳ same lengths & angles



Corresponding parts

↳ $\overline{AB} \cong \overline{DE}$

$\angle B \cong \angle E$

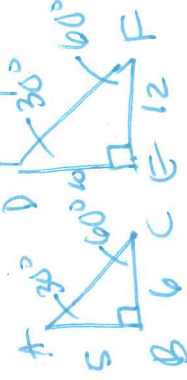
Similar figures \sim

↳ same angles BUT

(Lengths) can be diff.

↳ corresponding ones

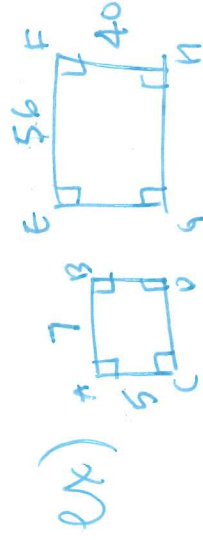
have to be proportional



A) Are they similar?

Step 1: Check Δ s first
they have to be =

2: cor. sides proportional?



Δ s = yes!
all 90°

lengths $\frac{AB}{AC}$ corr. $\frac{EF}{EG}$

write as a fraction

$$\frac{AB}{AC} = \frac{EF}{EG}$$

$$\begin{array}{l} \text{cross } \times \\ \text{or} \\ \text{shoof out} \end{array} \longrightarrow \frac{7 \times 8}{5} = \frac{56}{40}$$

$$\frac{7 \times 8}{5} = \frac{56}{40}$$

same

yes! proportional